

1. a.  answers will vary
- b.  answers will vary
- c.  answers will vary
- 2a. not a tree
5 vertices
 $9 \text{ edges} - 4 \text{ (for tree)} = 5 \text{ redundancy}$
- b. tree
- c. not a tree (taken by itself)
10 vertices
 $11 \text{ edges} - 9 \text{ (need for tree)} = 2 \text{ redundancy}$
- d. not a tree
5 vertices
 $5 \text{ edges} - 4 \text{ (for a tree)} = 1 \text{ redundancy}$
- c. alt. bottom graph taken as one (given the numbering)
not connected
3. a. efficient - easy to calculate
b. optimal - always produces the smallest/cheapest tree

4a. $4+9+18+19+21+22+23+30 = 146$

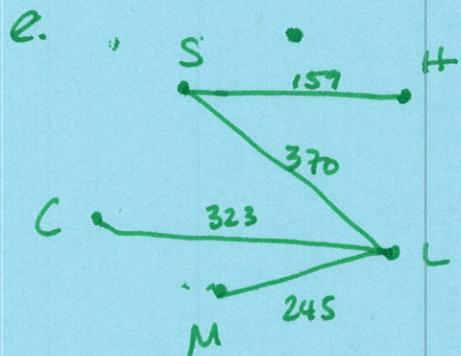
(2)

b. $1+1+2+2+3+4+4+4 = 21$

c. $1+2+7+13+16 = 39$

See next page

d. $2+3+4+5+6+7+9+11+16 = 63$



$$157 + 370 + 323 + 245 = 1097$$

5. Contains no circuit

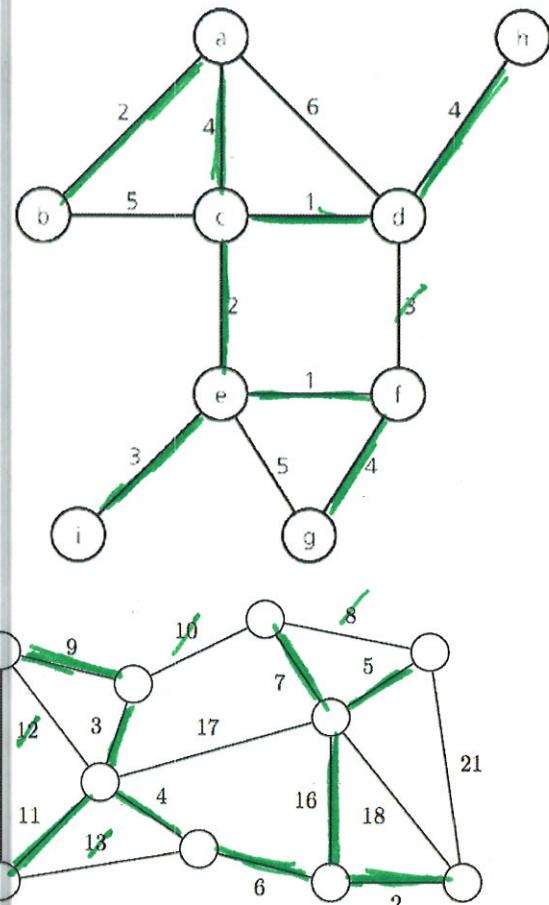
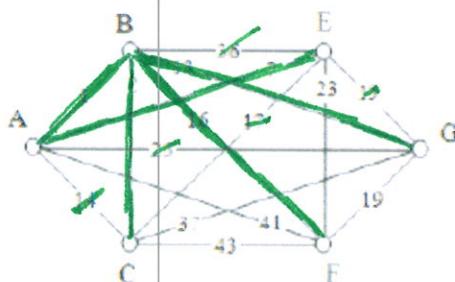
n vertices, $n-1$ edges

Connected

6. $15+20+25+30+45+75+90 = 300$ see next page

7. if the weight represent bandwidth instead of cost or profit
answers may vary

8. So that the network is still connected if a portion goes down



	Seattle	Honolulu	London	Moscow	Cairo
Seattle	-	159	370	654	684
Honolulu		-	830	854	801
London			-	245	323
Moscow				-	329
Cairo					-

5. What are the three main properties of trees?
6. Find a Maximum Spanning Tree for the graph to the right.
7. Describe some reasons why you might want a maximum spanning tree instead of a minimal spanning tree?
8. If a spanning tree is all that is necessary for a network to function, why might someone want to build redundancy into the system?

